

DSA3 Lab session 3

ATTENTION

- Do NOT modify your test files
- Do NOT hardcode for specific test cases

Stable sort

- What does stable sort mean?
- What advantages are there to a sorting algorithm that is stable?

Why learn so many sorts?

- Why not just remember the one sort with the best Big O and use it everywhere?
- Insertion sort is $O(n^2)$
- Mergesort is $O(n \log n)$
- Why even teach you insertion sort?
 - Hold that thought...

What's the best and worst data distro for...

- Insertion sort?

- Bubble sort?

What's the best and worst data distro for...

- Insertion sort?
 - Already sorted list is just $O(n)$
 - Reverse sorted list is $O(n^2)$

What's the best and worst data distro for...

- Bubble sort?
 - Already sorted list is just $O(n)$
 - Reverse sorted list is $O(n^2)$
- THIS ASSUMES AN OPTIMIZATION

What's the best and worst data distro for...

- Merge?
- Quick?
 - Assumption: last index pivot as you saw in class
- Bucket?

- Merge?
- Merge is too cool to care about data



What's the best and worst data distro for...

- Quick

- Balanced random data is $O(n \log n)$
- Sorted/reverse sorted data is $O(n^2)$

What's the best and worst data distro for...

- Bucket

- Uniform bucket distribution can be $O(n)$
- Highly skewed data makes bucket effectively useless

Considerations other than speed

- Merge sort

- Worst: $O(n \log n)$
- Average: $O(n \log n)$
- Best: $O(n \log n)$
- Stable: yes

- John von Neumann, 1945

- Quicksort

- Worst: $O(n^2)$
- Average: $O(n \log n)$
- Best: $O(n \log n)$
- Stable: no

- C.A.R. Hoare, 1959

Some practical examples for better understanding

- $S = [s_1, s_2, s_3, \dots, s_n]$ $s_i \in \{0, 1\}$
- How would mergesort handle this?
 - Imagine the data actually flowing through the algorithm

Some practical examples for better understanding

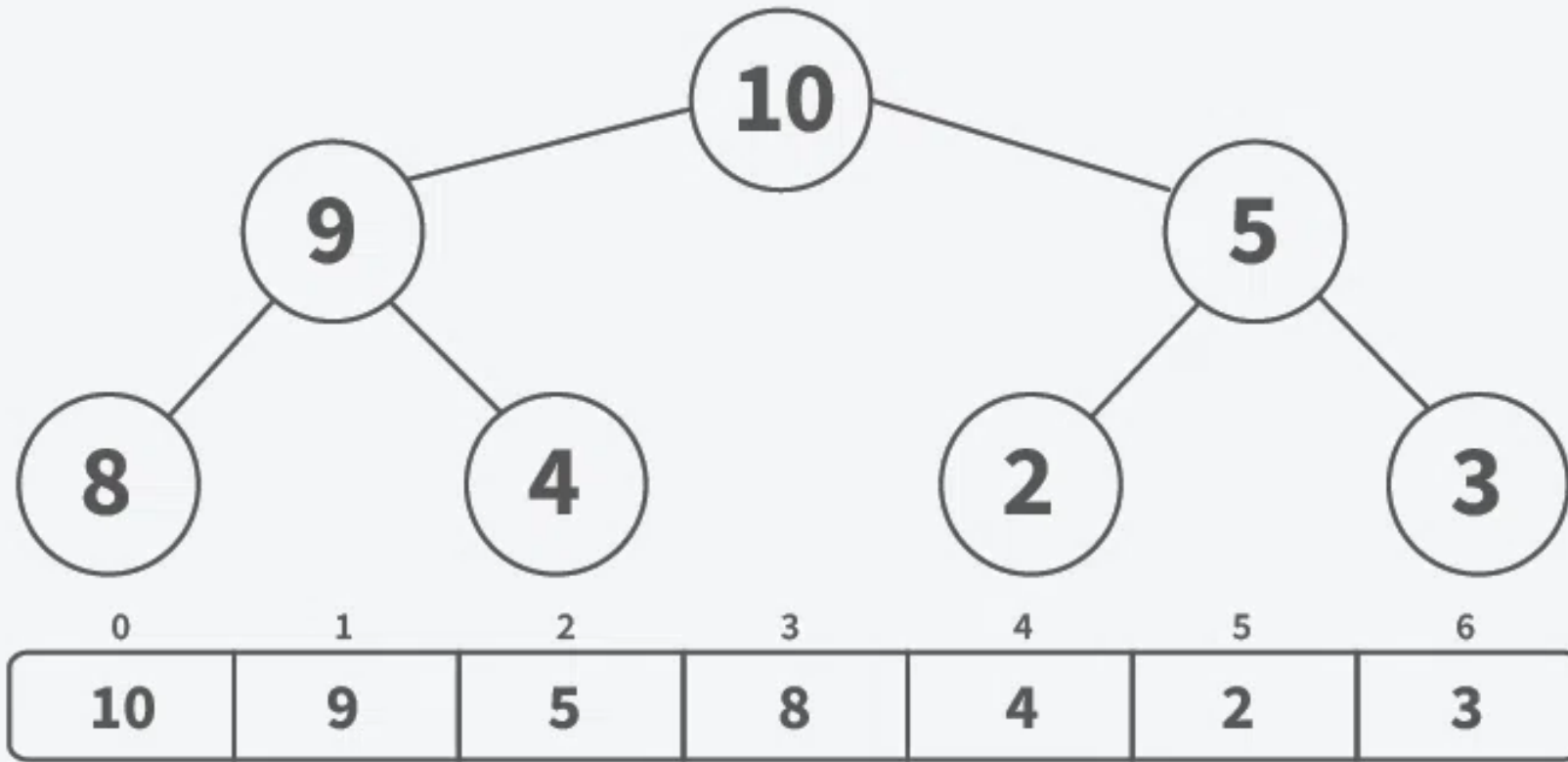
- $S = [s_1, s_2, s_3, \dots s_n]$ $s_i \in \{0, 1\}$
- How would quicksort handle this?

```
def qsort(seq):  
    if len(seq) <= 1: return seq  
    return qsort([x for x in seq if x < seq[-1]]) \ # < p  
        + [x for x in seq if x == seq[-1]] \ # = p  
        + qsort([x for x in seq if x > seq[-1]]) \ # > p
```

A deeper dive into Mergesort

- We've basically assumed an array-based implementation of mergesort
- What if we implement it as a linked list?
 - Are there any ways this can overperform or underperform array-based merge?

Tree as array... how to implement



Array Representation of Binary Tree

Root
Parent
Left
Right
Is_Leaf

Another way to use trees

